



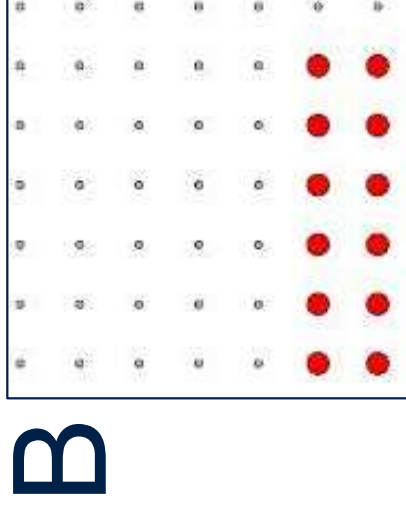
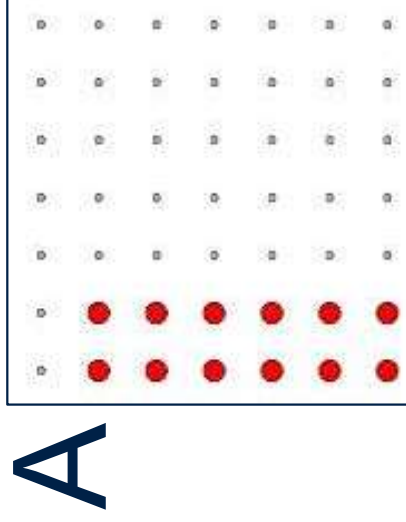
How would  
you work  
out  $32 \div 8$ ?

- Did you use the fact that you know  $8 \times 4 = 32$ ?

Often we use multiplication to help us do division as it is more straightforward.

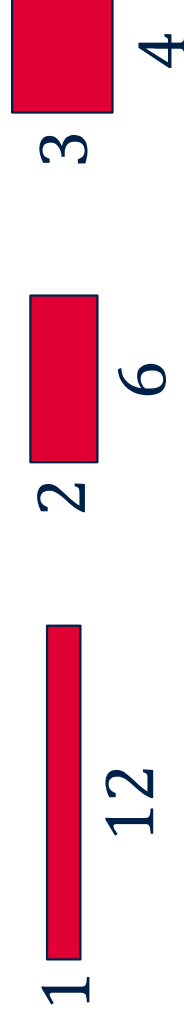
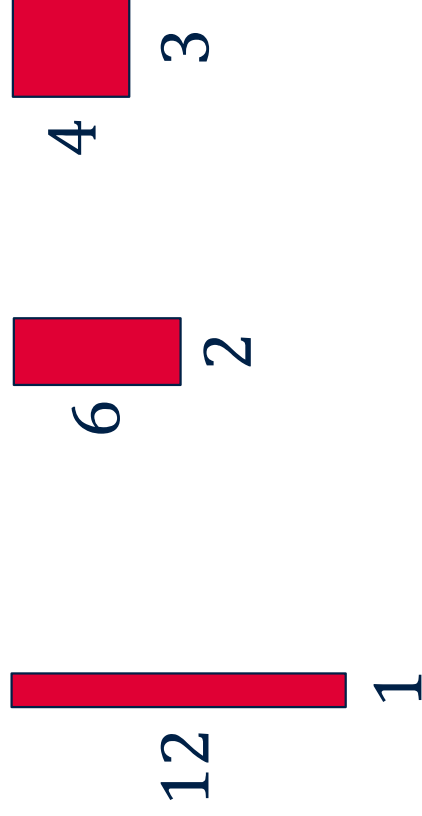
- The same is true for **factorising** and **expanding**.
- It can often be easier to expand than to factorise
- So use expanding to help you factorise

I have 12 red counters and a large sheet of dotted paper.  
How many different rectangular arrays can I make using  
all 12 counters?



- An array is an arrangement of objects in rows and columns
- For this activity we will count A and B as different arrays as they have different orientations

This problem is equivalent to finding the number of rectangles with area 12 that have integer length sides, and counting 2 by 6 as different to 6 by 2



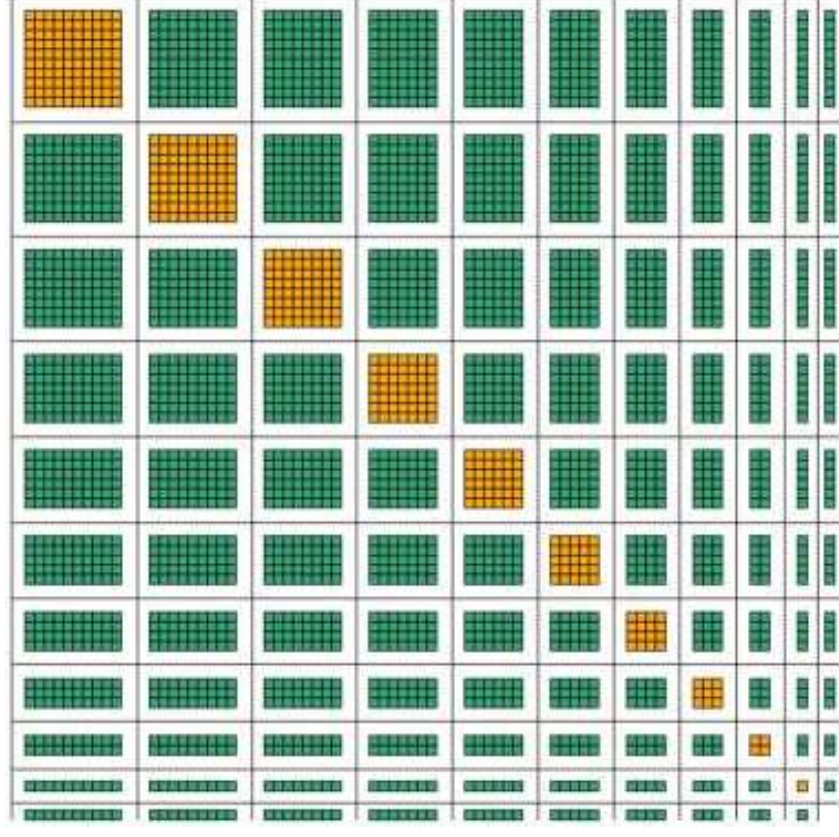
There are six arrays for 12 counters.



How many different arrays are there for:

- 7 counters?
- 15 counters?
- 25 counters?
- A prime number of counters?
- What is special about numbers with an odd number of arrays?

No of Counters	No of Arrays
7	$(1 \times 7), (7 \times 1)$
15	$(1 \times 15), (3 \times 5), (5 \times 3), (15 \times 1)$
25	$(1 \times 25), (5 \times 5), (25 \times 1)$
Prime	$(1 \times p), (p \times 1)$
1	$(1 \times 1)$
Square number	Odd number



Remember the Visual Multiplication Square from the Expanding session? **How does that help?**



Fully factorise the following:

1.  $5x - 30$

5.  $7a^2b + 21ab - 14a$

2.  $9x + 6$

6.  $12x^2 + 12xy + 12y^2$

3.  $x^2 + 6x$

7.  $3t(t - 1) + 7(t - 1)$

4.  $6y^3 - 12y$

8.  $2x(x^2 + 3) - 5(x^2 + 3)$

# Factorising 1



Solutions on the next slide....





Fully factorise the following:

1.  $5x - 30$   $\rightarrow$   $= 5(x - 6)$

2.  $9x + 6$   $\rightarrow$   $= 3(3x + 2)$

3.  $x^2 + 6x$   $\rightarrow$   $= x(x + 6)$

4.  $6y^3 - 12y$   $\rightarrow$   $= 6y(y^2 - 2)$





Fully factorise the following:

$$5. \quad 7a^2b + 21ab - 14a \quad \rightarrow \quad = 7a(ab + 3b - 2)$$

$$6. \quad 12x^2 + 12xy + 12y^2 \quad \rightarrow \quad = 12(x^2 + xy + y^2)$$

$$7. \quad 3t(t - 1) + 7(t - 1)$$

The common factor to take out is  $(t - 1)$

$$\rightarrow \quad 3t(t - 1) + 7(t - 1) \\ = (t - 1)(3t + 7)$$

The common factor to take out is  $(x^2 + 3)$

$$8. \quad 2x(x^2 + 3) - 5(x^2 + 3) \quad \rightarrow$$

$$= 2x(x^2 + 3) - 5(x^2 + 3) \\ = (x^2 + 3)(2x - 5)$$

Fully factorise the following:

1.  $7x + 28$

5.  $3x^3y - 12xy^2 + 6xy$

2.  $14 - 21x$

6.  $8a^3b + 6y^2b - 10b$

3.  $y^2 - 8y$

7.  $6x(x + 3) + 5(x + 3)$

4.  $3t^4 + 9t^2$

8.  $7y(3 - 2y) - 2(3 - 2y)$

# Factorising 2



Solutions on the next slide....





Fully factorise the following:

1.  $7x + 28$



$$= 7(x + 4)$$

2.  $14 - 21x$



$$= 7(2 - 3x)$$

3.  $y^2 - 8y$



$$= y(y - 8)$$

4.  $3t^4 + 9t^2$



$$= 3t^2(t^2 + 3)$$



Fully factorise the following:

$$5. \quad 3x^3y - 12xy^2 + 6xy \quad \longrightarrow \quad = 3xy(x^2 - 4y + 2)$$

$$6. \quad 8a^3b + 6y^2b - 10b \quad \longrightarrow \quad = 2b(4a^3 + 3y^2 - 5)$$

$$7. \quad 6x(x + 3) + 5(x + 3) \quad \longrightarrow$$

The common factor to take out is  $(x + 3)$

$$6x(x + 3) + 5(x + 3) \\ = (x + 3)(6x + 5)$$

$$8. \quad 7y(3 - 2y) - 2(3 - 2y) \quad \longrightarrow$$

The common factor to take out is  $(3 - 2y)$

$$7y(3 - 2y) - 2(3 - 2y) \\ = (3 - 2y)(7y - 2)$$